

# Scalable MOSFET Short-channel Charge Model for All Regions

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# Outline

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- Modeling Approach
- SC Intrinsic Model
  - Quasi-2D PBL
  - BCS
- Extrinsic Capacitances
- Model Behavior & Verification
- Conclusion

# Modeling Approach

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- **Charge models** are formulated from *unified regional* approach.
- Advantages:
  - The **simplest physical** formulation
  - Model is **easy to extend** to include other effects (SCEs/non-classical model) for all regions, e.g., PAE and SCE at accumulation.
  - **Accuracy requirement** in surface potential can be **relaxed**

$$\phi_{acc} = V_{gbr} + 2v_{th}\mathcal{L}\{w\}, (V_{gb} < V_{fb})$$

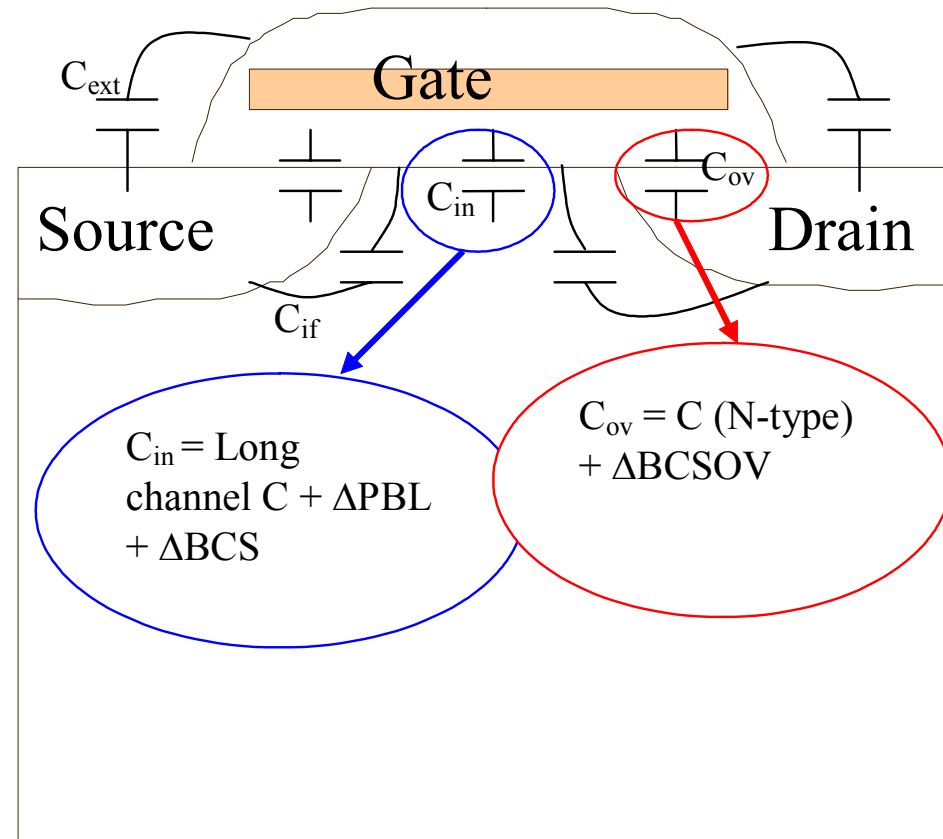
$$\phi_{sub} = \left( -\frac{\gamma}{2} + \sqrt{\frac{\gamma^2}{4} + V_{gbf}} \right)^2, (V_{fb} < V_{gb} < V_t)$$

$$\phi_{str} = \phi_{s0} + V_{cb} + \Delta, (V_{gb} > V_t)$$

# Model Formulation

Short channel capacitances include:

- Intrinsic capacitance,  $C_{in}$  = Long channel capacitance + Quasi-2D Potential barrier lowering (PBL) + Bulk-charge sharing (BCS).
- Extrinsic capacitances = Overlap capacitances,  $C_{ov}$  + Extrinsic fringing capacitance,  $C_{ext}$  + Intrinsic fringing capacitance,  $C_{if}$



# Intrinsic SC Model

## Quasi-2D PBL



9–11 May 2006, Boston

- Quasi-2D Poisson solution of the channel
- Assuming the maximum depletion depth,  $X_{dmax}$  for x-direction,  $y(0)=V_{bi}+V_{sb}$ ,  $y(L_{eff})=V_{bi}+V_{db}$
- A general solution exist at the minimum potential difference.

$$\phi_{acc,pbl} = \phi_{acc} + \Delta\phi_{acc}$$

$$\phi_{ds,pbl} = \phi_{ds} + \Delta\phi_{ds}$$

e.g. charge formulation in **accumulation**

$$Q_{B,acc} \approx -Q_{G,acc} = -C_{ox}WL_{eff} \left[ V_{gb} - V_{FB} - (\phi_{acc} + \Delta\phi_{acc}) \right]$$

$$= \underbrace{-C_{ox}WL_{eff} (V_{gb} - V_{FB} - \phi_{acc})}_{Q_{BL,acc}} + \underbrace{C_{ox}WL_{eff} \Delta\phi_{acc}}_{-\Delta Q_{B,PBL}}$$

$$V_{gb} - V_{FB} - \psi(y) + \frac{\epsilon_{Si} X_{dmax}}{\eta C_{ox}} \frac{dE_s(y)}{dy} = \frac{Q_g + Q_{ox}}{C_{ox}}$$

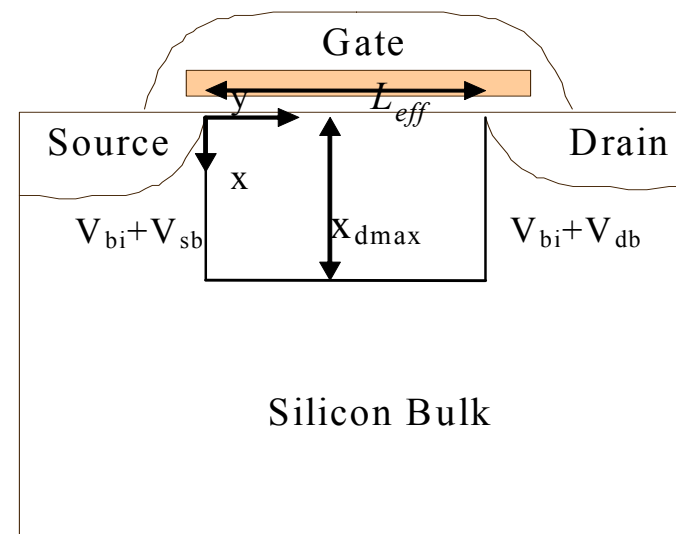


Fig. 1. Gaussian box and boundary conditions in quasi-2D analysis for PBL

# BCS

- ❑ Bulk-charge sharing assumes the trapezoidal shape of depletion layer in the channel.
- ❑ Only valid when depletion layer is form when  $V_{gb} > V_{FB}$
- ❑ Can be modeled with modification of body-factor

$$\gamma_{bcs} = \gamma \left( 1 - \frac{\lambda}{L_{eff}} \left( \frac{X_{dep,s} + X_{dep,d}}{2} \right) \right)$$

$$\phi_{ds,bcs} = \phi_{ds} \{ \gamma_{bcs} \}$$

Therefore, SC intrinsic charge

$$Q_{b,L} = -C_{ox} V_{teff} \rightarrow Q_{b,sc} = -C_{ox} V_{teff} \{ \phi_{acc} + \Delta\phi_{acc}, \phi_{ds} \{ \gamma_{bcs} \} + \Delta\phi_{ds} \}$$

$$Q_{d,L} = -C_{ox} f \{ \phi_{ds} \} \rightarrow Q_{d,sc} = -C_{ox} f \{ \phi_{ds} \{ \gamma_{bcs} \} + \Delta\phi_{ds} \}$$

$$Q_{s,L} = -C_{ox} g \{ \phi_{ds} \} \rightarrow Q_{s,sc} = -C_{ox} g \{ \phi_{ds} \{ \gamma_{bcs} \} + \Delta\phi_{ds} \}$$

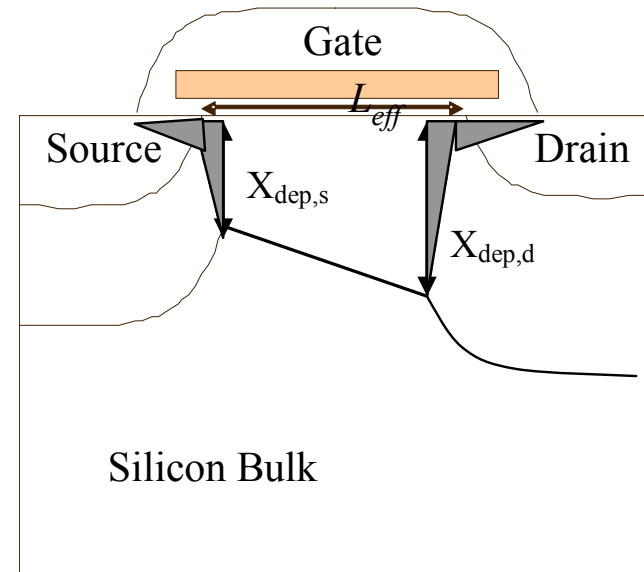


Fig. 2. Charge sharing effect in channel and overlap region at short channel

# Extrinsic Capacitances

- Overlap region: another two shorter opposite doped MOS structure.
- Become comparable to channel length at very short channel
- BCS in overlap (BCSOV) is also applied for overlap region
- Example, at source side

$$Q_{Sov,acc} = -WL_{ov}C_{ox} (V_{gsf} - \phi_{ov,acc})$$

$$\gamma_{ov,bcs} = \gamma_{ov} \left( 1 - \frac{\lambda_{ov}}{L_{ov}} \frac{X_{dov,s}}{2} \right)$$

$$Q_{Sov,sub} = -WL_{ov}C_{ox} (V_{gsr} - \phi_{ov,sub} \{ \gamma_{ov,bcs} \})$$

- Extrinsic fringing are formulated w.r.t intrinsic charge formulations

$$Q_{B,FR} = v_b Q_{B,SC} (C_{side} + C_{bottom}) / (L_g C_{ox})$$

$$Q_{I,FR} = v_i Q_{I,SC} (C_{side} + C_{bottom}) / (L_g C_{ox})$$

- Intrinsic fringing model the “hump” observed in the 2D-simulation result, it is empirically formulated as

$$Q_{I,IF} = -\kappa_{if} C_{IF,max} \operatorname{erf} \left( \frac{V_{gb} - V_{FB} - \alpha_{if}}{\beta_{if}} \right)$$

- Total charge

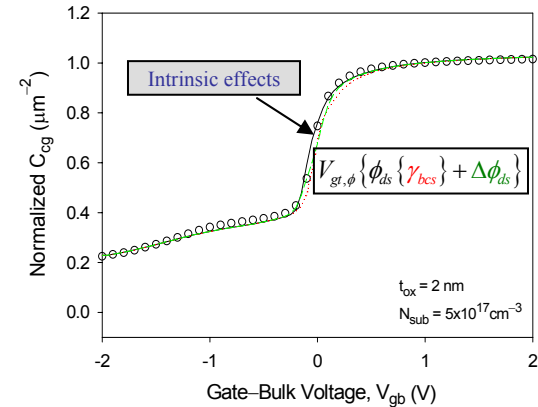
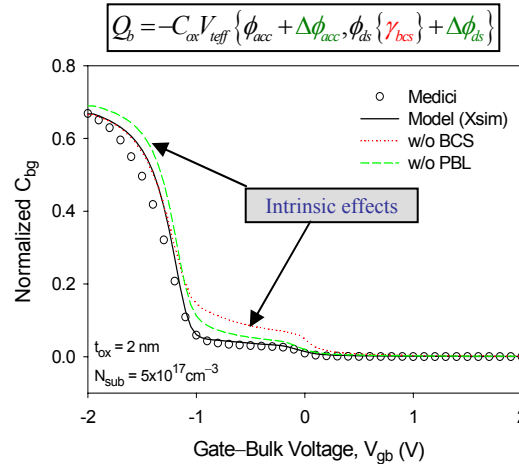
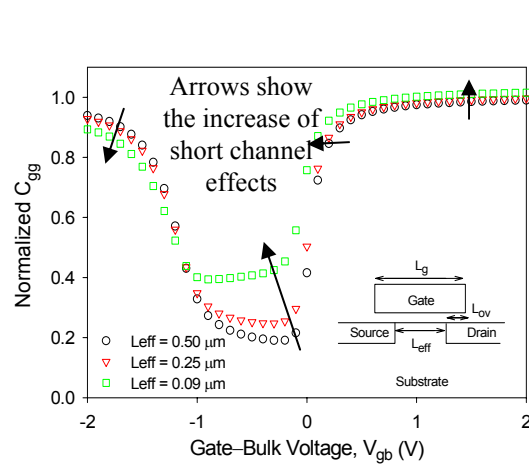
$$Q_D = Q_{D,L} \{ \phi_{ds} \{ \gamma_{bcs} \} + \Delta \phi_{ds} \} + Q_{D,OV} \{ \gamma_{ov,bcs} \} + 0.5 Q_{I,IF} + Q_{D,FR}$$

$$Q_S = Q_{S,L} \{ \phi_{ds} \{ \gamma_{bcs} \} + \Delta \phi_{ds} \} + Q_{S,OV} \{ \gamma_{ov,bcs} \} + 0.5 Q_{I,IF} + Q_{S,FR}$$

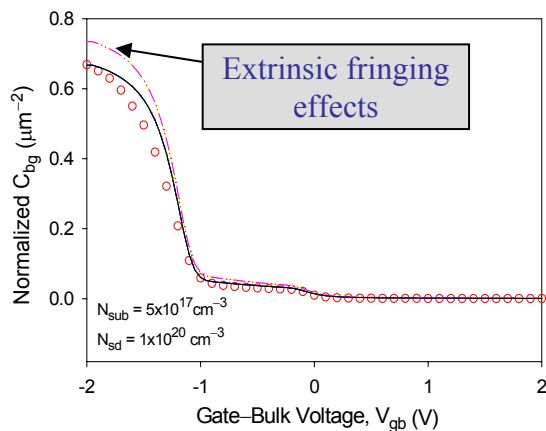
$$Q_B = Q_{B,L} \{ \phi_{acc} + \Delta \phi_{acc}, \phi_{ds} \{ \gamma_{bcs} \} + \Delta \phi_{ds} \} + Q_{B,FR}$$

$$Q_G = -(Q_D + Q_S + Q_B + Q_{OX})$$

# Model Behavior & Verification

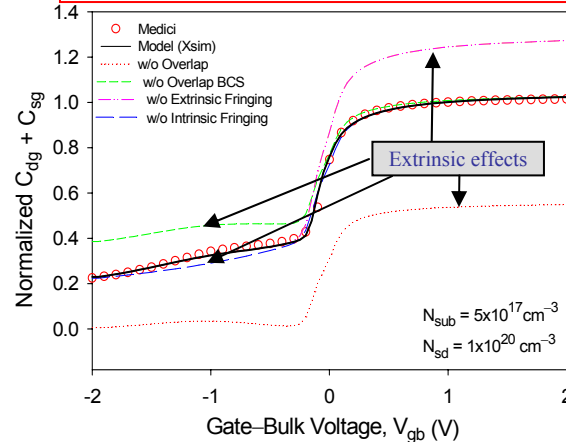


$$Q_B = Q_{B,L} \{ \phi_{acc} + \Delta\phi_{acc}, \phi_{ds} \{ \gamma_{bcs} \} + \Delta\phi_{ds} \} + Q_{B,FR}$$

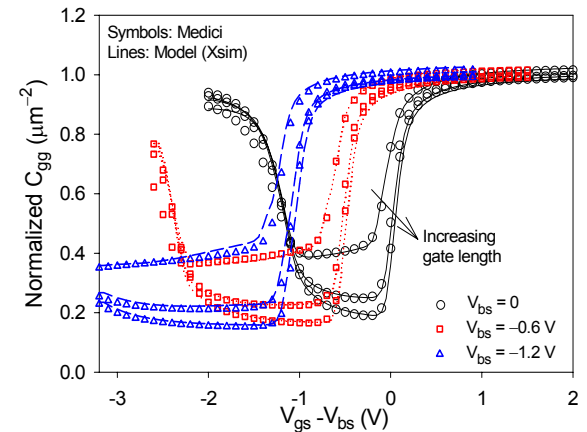


$$Q_D = Q_{D,SC} + Q_{D,OV} \{ \gamma_{ov,bcs} \} + 0.5 Q_{I,IF} + Q_{D,FR}$$

$$Q_S = Q_{S,SC} + Q_{S,OV} \{ \gamma_{ov,bcs} \} + 0.5 Q_{I,IF} + Q_{S,FR}$$



Scalable in geometry and bias



# Conclusion

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- Quasi-2D PBL improved the accuracy at accumulation.
- Beside Overlap capacitance, BCS in overlap region is also critical but usually ignored.
- The model is scalable for lengths and different body biases.
- More works to be done for Non-zero  $V_{ds}$  condition.